SET	В

INDIAN SCHOOL MUSCAT HALF YEARLY EXAMINATION 2022 PHYSICS(042)

CLASS:XII Max.Marks: 70

		MARKING SCHEME	
SET	QN.NO	VALUE POINTS	MARKS SPLIT UP
3	1	A. $T_1 > T_2$	1
	2	Αr, ε	1
	3	B. Anticlockwise	1
	4	A. B/4	1
	5	Β π/2	1
	6	$ \begin{array}{c} C. \\ E \\ O \\ R \\ r \\ \end{array} $	1
	7	D 1.8 x 10 ⁵ Nm ² C ⁻¹	1
	8	C. σ/ ε ₀	1
	9	A. 90°	1
	10	B. 10V	1
	11	A 0.1 V	1
	12	A conservation of electric charge and energy respectively	1
	13	Α. 1 Ω	1

14	(i) Both Assertion(A)and Reason(R) are true and Reason(R) is the correct explanation of A	1
15	(ii) Both Assertion(A)and Reason(R) are true but Reason(R) is not the correct explanation of A.	1
16	(i) Both Assertion(A)and Reason(R) are true and Reason(R) is the correct explanation of A	1
17	(i) Both Assertion(A)and Reason(R) are true and Reason(R) is the correct explanation of A.	1
1		1
1	series series	1
2	radial radial	1
2	Along (in)	1
2	2 charges	1
2	i) B zero (ii) C (iii) D a force and a torque (iv) A (v) D 4 τ	4
2	(i) D V/m (ii) B (iii) A 4 (iv) C They always form closed loops. (v) A radially outwards	4
2	5 (a)	2
	E T	1
	(b) Electric lines of force never intersect because, at the point of intersection, two tangents can be drawn to the two lines of force. This means two directions of the electric field at the point of intersection, which is not possible OR	1
	(a) q_1+q_2 $q_A=3q_A$	
	Charge on each sphere $=\frac{q_1+q_2}{2}=\frac{q_A-3q_A}{2}=-q_A$	1
	(b) It is a scalar quantity SI unit is Volt	1/2 + 1/2

Page **1** of **2**

	1		T., .
	26	\overrightarrow{V} $\overrightarrow{d_1}$ $\overrightarrow{d_2}$ d	1+1
		$d_1 = d_2$ $d_1 > d_2$	
	27	(a) capacitance will increase K times (If K times not written reduce ½ mark) (b) charge on the plates increases by K (If K times not written reduce ½	1each
	28	mark) Magnitude of Drift velocity/unit electric field No change	1 1
	29	Given : $l = 20 \text{ cm} = (20 \times 10^{-2}) \text{ m}$	1
		$I_1 = 1 \text{ A}, \qquad r_1 = 10 \text{ cm} = 10 \times 10^{-2} \text{ m}$	
		$I_1 = 1 \text{ A}, \qquad r_1 = 10 \text{ cm} = 10 \times 10^{-1} \text{ m}$ $I_2 = 2 \text{ A}, \qquad r_2 = 30 \text{ cm} = 30 \times 10^{-2} \text{ m}$	1/ . 1/
		$r_2 = 2 \text{ A}, \qquad r_2 = 30 \text{ cm} = 30 \times 10^{-11} \text{ m}$	$\frac{1}{2} + \frac{1}{2}$
		(1 1)	
		$F = \mu_0 I_1 I_2 I \left(\frac{1}{r_1} - \frac{1}{r_2} \right)$	1
		$= (2 \times 10^{-7}) \times (1) \times (2) \times (20 \times 10^{-2})$	
		Г 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1	
		$\left[\frac{1}{10 \times 10^{-2}} - \frac{1}{30 \times 10^{-2}}\right]$	1/2
		$= 5.3 \times 10^{-7} \text{ N}$	/2
		The direction of force is towards the infinitely long straight wire. OR	1/2
		$F_{\text{repulsion}} = mg$	
		$\frac{\mu_0 I_1 I_2 l}{2\pi r} = mg$	
		$\therefore \qquad \left(\frac{m}{l}\right) = \frac{\mu_0 I_1 I_2}{2 \pi rg}$	
		$=\frac{2\times10^{-7}\times10\times6}{2\times10^{-3}\times10}$	
		$2 \times 10^{-3} \times 10$	
		$=6\times10^{-4} \text{ kg/m}$	
		Current in both wires should be opposite, so both conductors repel each other.	
	30	Gauss's law -statement.	1
		Derivation for the electric field intensity due to an infinitely large, plane	
	21	sheet of charge of charge density σ C/m² (diagram+ derivation)	1/2 +1 1/2
	31	Capacitor-definition Deriving expression for the capacitance of the capacitor.	$\begin{vmatrix} 1 \\ 2 \end{vmatrix}$
1	1	2011, ing on probbion for the supustance of the supustor.	ı –

22	('\ 111 111	1
32	(i) $W_1 = W_2$.	1
	(ii) Electric field intensity is zero inside the hollow spherical	1
	charged conductor. So, no work is done in moving a test charge	1
	inside the conductor and on its surface. Therefore, there is no	
	potential difference between any two points inside or on the surface of the conductor.	
	(iii) Yes. Electric field on the equatorial line of dipole is not zero but	¹ / ₂ +1/2
	potential is zero.	/2 1/2
	OR	1
	(i) The work done by the field is negative. This is because the	
	charge is moved against the force exerted by the field.	
	(ii) The work done in moving a charge from one point to another on	1
	an equipotential surface is zero. If electric field is not normal to	
	the equipotential surface, it would have non-zero component	
	along the surface. In that case work would be done in moving a	
	charge on an equipotential surface.	1/2+ 1/2
	(iii) Charge remains the same, potential gets lowered	
33	The acceleration, $\vec{a} = -\frac{e}{m}\vec{E}$	1/2
	The average drift velocity is given by, $v_d = -\frac{eE}{m}\tau$	
	$(\tau = \text{average time between collisions or relaxation time})$	
	If n is the number of free electrons per unit volume, the current I is given by	
	$I = neA v_d $	1/2
	$=\frac{e^2A}{m} \tau n E $	
	But $I = j A$ (where $j = \text{current density}$)	
	Therefore, we get	
		1/2
	$ j = \frac{ne^2}{m} \tau E .$	/2
	ne^2	1/2
	The term $\frac{ne^2}{m}\tau$ is conductivity.	
	$ne^2\tau$	
	$\therefore \sigma = \frac{ne^2\tau}{m}$	1
	$\Rightarrow J = \sigma E$	
	OR	
		1
		1
		1
l		1

	E	1
	E1 I ₁ F ₁	
	A B	
	$ \begin{array}{c ccccccccccccccccccccccccccccccccccc$	1/2
		1/
	(a) (b)	1/2
	Let I_1 and I_2 be the currents leaving the positive, terminals of the cells, and at the point B	
	$I = I_1 + I_2 \qquad \dots (i)$	
	Let V be the potential difference between points A and B of the combination of the cells, so	
	$V = E_1 - I_1 r_1$ (ii) (across the cells)	
	and $V = E_2 - I_2 r_2 \qquad \dots (iii)$	
	From equation (i) , (ii) and (iii) , we get	
	$I = \frac{(E_1 - V)}{r} + \frac{(E_2 - V)}{r}$	
	1 2	
	$= \left(\frac{E_1}{r_1} + \frac{E_2}{r_2}\right) - V\left(\frac{1}{r_1} + \frac{1}{r_2}\right) \qquad(iv)$	
	$\begin{pmatrix} r_1 & r_2 \end{pmatrix} = \begin{pmatrix} r_1 & r_2 \end{pmatrix}$	
	Fig. (b) shows the equivalent cell, so for the same potential difference	
	$V = E_{eq} - Ir_{eq}$	
	or $I = \frac{E_{eq}}{r} - \frac{V}{r} \qquad \dots (v)$	
	r_{eq} r_{eq} (0)	
	On comparing Eq. (iv) and (v) , we get	
	$E_{}$ $E_{}$ $E_{}$	
	$\frac{E_{eq}}{r_{-}} = \frac{E_1}{r_1} + \frac{E_2}{r_2}$	
	r_{eq} r_1 r_2	
	1 1 1 r.r.	
	and $\frac{1}{r_{eq}} = \frac{1}{r_1} + \frac{1}{r_2} \implies r_{eq} = \frac{r_1 r_2}{r_1 + r_2}$	
	r_{eq} r_1 r_2 r_{eq} $r_1 + r_2$	
	On further solving, we have	
	-	
	$ (1, 1)$ E_1 E_2	
	$E_{eq}\left(\frac{1}{r_1} + \frac{1}{r_2}\right) = \frac{E_1}{r_1} + \frac{E_2}{r_2}$	
	1 2/ 1 2	
	$E_1 r_2 + E_2 r_1$	
	$\Rightarrow E_{eq} = \frac{1}{r + r}$	
2.4	Civil vision	
34	Similarities: Poth electrostatic field and magnetic field:	
	Both electrostatic field and magnetic field: (i) follows the principle of superposition	
	(i) follows the principle of superposition.	1/2+ 1/2
	(ii) depends inversely on the square of distance from source to the point of interest.	/21 /2
	Differences:	
	(i) Electrostatic field is produced by a scalar source (q) and the magnetic	
	field is produced by a vector source (<i>Idl</i>)	1+1
	(ii) Electrostatic field is along the displacement vector between source and	
	point of interest; while magnetic field is perpendicular to the plane,	
	containing the displacement vector and vector source.	
	(iii) Electrostatic field is angle independent, while magnetic field is angle	
	dependent between source vector and displacement vector.(any two)	
35	Statement of Biot-Savart's law	1
	Derivation for the magnetic field at the centre of a circular coil of radius R,	
	number of turns N, carrying current I(diagram+derivation)	1+2
 		i .

	OR	1
	(a) labelled diagram of a moving coil galvanometer.Its principle and working.	1/2+1 1/2
	(b) (i) The cylindrical, soft iron core makes the field radial and increases the strength of the magnetic field, <i>i.e.</i> , the magnitude of the torque.	1
	(ii) Explanation for (increasing the current sensitivity of a galvanometer may not necessarily increase its voltage sensitivity.)	1
36	(a) Expression for the electric field intensity at any point outside a	2
	uniformly charged thin spherical shell of radius R and charge density σ	
	C/m^2 .	
	(b)	
		1/2 + 1/2
	(c)	
	$rac{1}{4\piarepsilon_{0}} \; rac{q_{1}}{x^{2}} = rac{1}{4\piarepsilon_{0}} \; rac{q_{2}}{(2 \; - \; x)^{2}}$	
		1/2
		1/2

OR (a) (i) An electric dipole is held in a uniform electric field suitable diagram showing that it does not undergo any translatory motion deriving an expression for torque acting on it specifying direction of torque (b) $q_1 + q_2 = 7 \times 10^{-6} \text{ C}$ $\frac{1}{4\pi\epsilon_0} \frac{q_1 q_2}{(0.30)^2} = 1 \implies q_1 q_2 = (4\pi\epsilon_0)(0.30)^2$ or $q_1 q_2 = \frac{1}{9\times 10^9} \times 9\times 10^{-2} = 10^{-11}$ $(q_1 - q_2)^2 = (q_1 + q_2)^2 - 4q_1 q_2$ $= (7\times 10^{-6})^2 - 4\times 10^{-11}$ $= 49 \times 10^{-12} - 40 \times 10^{-12} = 9 \times 10^{-12}$ $q_1 - q_2 = 3\times 10^{-6} \text{ C}$ Solving (i) and (iii), we get $q_1 = 5\times 10^{-6} \text{ C}, \ q_2 = 2\times 10^{-6} \text{ C}$ $\Rightarrow q_1 = 5 \text{ µC}, \ q_2 = 2 \text{ µC}$	q ₁ = 5 x 10 ⁻¹⁹ C A E ₁ P E ₂ A (2 - x) Given, q ₁ = 5×10 ⁻¹⁹ C, q ₂ = 20×10 ⁻¹⁹ C Therefore, $\frac{5\times10^{-19}}{x^2} = \frac{20\times10^{-19}}{(2-x)^2}$ or $\frac{1}{2} = \frac{x}{2-x}$	q ₂ =20 x 10 ⁻¹⁹ C B 1/2 + 1/2
(a) (i) An electric dipole is held in a uniform electric field suitable diagram showing that it does not undergo any translatory motion deriving an expression for torque acting on it specifying direction of torque (b) $q_1 + q_2 = 7 \times 10^{-6} \text{ C}$ $\frac{1}{4\pi\epsilon_0} \frac{q_1 q_2}{(0.30)^2} = 1 \implies q_1 q_2 = (4\pi\epsilon_0)(0.30)^2$ or $q_1 q_2 = \frac{1}{9\times 10^9} \times 9\times 10^{-2} = 10^{-11}$ $(q_1 - q_2)^2 = (q_1 + q_2)^2 - 4q_1 q_2$ $= (7\times 10^{-6})^2 - 4\times 10^{-11}$ $= 49 \times 10^{-12} - 40 \times 10^{-12} = 9 \times 10^{-12}$ $q_1 - q_2 = 3\times 10^{-6} \text{ C}$ Solving (i) and (iii), we get $q_1 = 5\times 10^{-6} \text{ C}, \ q_2 = 2\times 10^{-6} \text{ C}$ $\Rightarrow q_1 = 5 \text{ \muC}, q_2 = 2 \text{ \muC}$	or $x = \frac{2}{3}m$	1
diagram showing that it does not undergo any translatory motion deriving an expression for torque acting on it specifying direction of torque	OR	
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specifying direction of torque		1/2
(b) $q_1 + q_2 = 7 \times 10^{-6} \mathrm{C}$ $\frac{1}{4\pi\epsilon_0} \frac{q_1 q_2}{(0.30)^2} = 1 \implies q_1 q_2 = (4\pi\epsilon_0)(0.30)^2$ or $q_1 q_2 = \frac{1}{9 \times 10^9} \times 9 \times 10^{-2} = 10^{-11}$ $(q_1 - q_2)^2 = (q_1 + q_2)^2 - 4q_1 q_2$ $= (7 \times 10^{-6})^2 - 4 \times 10^{-11}$ $= 49 \times 10^{-12} - 40 \times 10^{-12} = 9 \times 10^{-12}$ $q_1 - q_2 = 3 \times 10^{-6} \mathrm{C}$ Solving (i) and (iii), we get $q_1 = 5 \times 10^{-6} \mathrm{C}, \ q_2 = 2 \times 10^{-6} \mathrm{C}$ $\Rightarrow q_1 = 5 \mu\mathrm{C}, \ q_2 = 2 \mu\mathrm{C}$	deriving an expression for torque acting of	on it
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$= (7 \times 10^{-6})^{2} - 4 \times 10^{-11}$ $= 49 \times 10^{-12} - 40 \times 10^{-12} = 9 \times 10^{-12}$ $q_{1} - q_{2} = 3 \times 10^{-6} \text{ C}$ Solving (i) and (iii), we get $q_{1} = 5 \times 10^{-6} \text{ C}, \ q_{2} = 2 \times 10^{-6} \text{ C}$ $\Rightarrow q_{1} = 5 \mu\text{C}, q_{2} = 2 \mu\text{C}$ 37 (a) (a) Definition- relaxation time	$q_1 + q_2 = 7 \times 10^{-6} \mathrm{C}$ $\frac{1}{4\pi\epsilon_0} \frac{q_1 q_2}{(0.30)^2} = 1 \implies q_1 q_2 = (4\pi\epsilon_0) \mathrm{C}$ or $q_1 q_2 = \frac{1}{9 \times 10^9} \times 9 \times 10^{-6} \mathrm{C}$	
$q_1 = 5 \times 10^{-6} \text{C}, q_2 = 2 \times 10^{-6} \text{C}$ $\Rightarrow \qquad q_1 = 5 \mu\text{C}, q_2 = 2 \mu\text{C}$ 37 (a) (a) Definition- relaxation time	$= (7 \times 10^{-6})^{2} - 4 \times 1$ $= 49 \times 10^{-12} - 40$ $q_{1} - q_{2} = 3 \times 10^{-6} \mathrm{C}$	1 72
	$q_1 = 5 \times 10^{-6} \mathrm{C}, \ q_2 = 2 \times 10^{-6} \mathrm{C}$	
	(a) (a) Definition- relaxation time	

Deriving an expression for drift velocity of free electrons in a conductor in terms of relaxation time	
Conductor in terms of relaxation time	1
(b) Resistivity of the material of a conductor depends upon the relaxation time, <i>i.e.</i> , temperature and the number density of electrons.	1
(c)This is because constantan and manganin show very weak dependence of	
resistivity on temperature. OR	
	1.1
(a) Kirchhoff 's first and second rule.(b) circuit diagram showing balancing of Wheatstone bridge	1+1
obtaining the balance condition in terms of the resistances of four arms of	1
Wheatstone Bridge.	2